

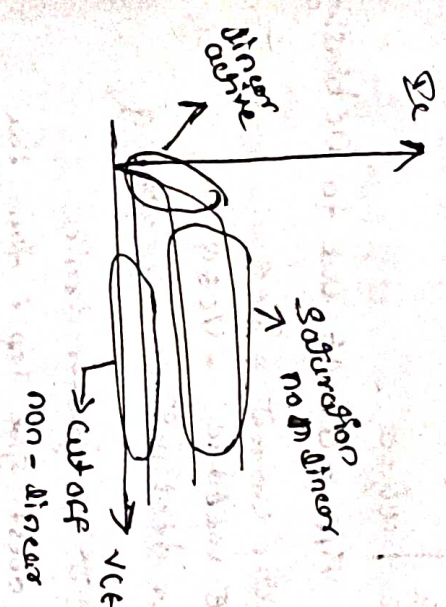
Basic Concepts



[Forward Bias] [Reverse Bias]



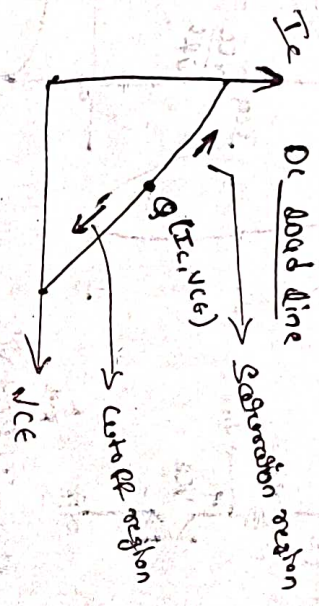
0k clearer static



Types of power amplifier

Operating point

$Q = f(V_{ce}, I_{ce})$



V.I Amplifier \rightarrow active or linear (Q)

Power amplifier \rightarrow linear & non linear (Q)

Si Silicon - 0.7V
Ge Germanium - 0.2V

if $V_{iP} > 0.7V$ then at Junction - F.B
if $V_{iP} < 0.7V$ then at Junction - R.B

Reverse PNP $V_{iP} < -0.7V$ then F.B
 $V_{iP} > +0.7V$ then R.B

Classification

1) Class A Amplifier
Linear $\rightarrow Q \rightarrow$ middle of DC load line

2) Class B amplifier

non-linear $\rightarrow Q \rightarrow$ Top or $Q \rightarrow$ Bottom

3) Class AB amplifier

Slightly above cutoff or slightly below saturation (non-linear)

4) Class C amplifier

$Q \rightarrow$ deep cutoff
 $Q \rightarrow$ deep saturation

* Non-linear region's distortion

0k = No signal ft causes Dead Zone

Characteristics of Class A amplifier

1. o/p current flows entire cycle (0 to 360°) (causing non-linear distortions)

2. Does not have non-linear distortions

3. Nature of i/p signal not changed at o/p.

4. Q point lies in the middle of load line (achieved)

5. DC conversion efficiency = 25%. [10W_{ac} - 2.5W_{dc}]

6. Power dissipation high when i/p is not amplified.

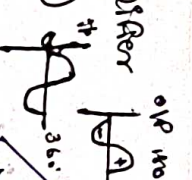
7. Provide a n distn. o/p (because of linear region)

Advantages

- 1. Distortion X
- 2. Thermal Run away X [Self dissipation]

Disadvantages

- 1. % R low
- 2. Power drain



o/p not swept

Class A Power amplifier

1. A class A power amplifier is one in which the o/p current flows for the entire cycle of the ac i/p supply. Hence the complete signal present at the i/p is amplified at the o/p.

2. In fig. shows the operating point of a amplifier is present in the linear region.

3. It is so selected that the current flows for the entire ac i/p cycle.

4. The waveform in fig shows the selection of operating point.

5. The o/p characteristics with operating point Q is shown in the fig.

6. Here (I_C)_Q & (V_{CE})_Q represent no signal collector current & voltage bias collector & emitter respectively.

7. When the signal is applied, the 'Q' point shifts to Q₁ & Q₂. The o/p current increases to (I_C)_{max} & decreases to (I_C)_{min}. Similarly, the collector-emitter voltage increases to (V_{CE})_{max} & decreases to (V_{CE})_{min}.

Expressions $I_{BQ} = \frac{V_{CC} - 0.7V}{R_B}$, $I_{EQ} = \beta I_{BQ}$

$V_{EQ} = V_{CC} - I_{EQ} R_E$

Q point at (V_{CEQ}, I_{EQ}) $P_{DC} = V_{CC} I_{EQ}$

$P_{AC} = \frac{(V_{max} - V_{min}) - (I_{max} - I_{min})}{2}$

eff % = $\frac{i/p(P_{ac})}{o/p(P_{dc})} \times 100$

Power dissipation $P_D = P_{DC} - P_{AC}$
o/p - i/p

Advantages of Class-A Amplifier-

- The current flows for complete cycle
- It can amplify small signals
- The o/p is same as i/p
- No distortion is present.

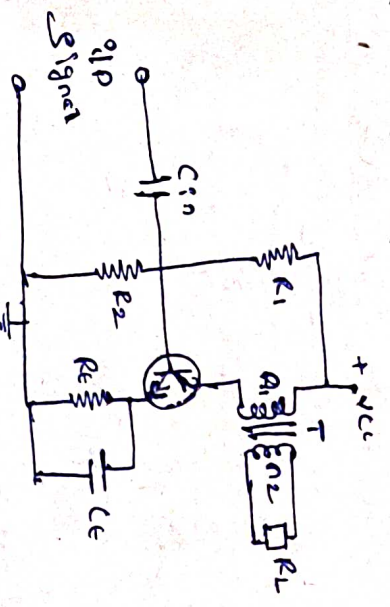
Disadvantages

- Low power o/p
- Low collector efficiency

Transformer Coupled Class A Amplifier

* The construction of ~~class A amplifier~~ transformer coupled class A amplifier this is similar to the normal amplifier. Ckt - but connected with a transformer in the collector load.

* Here R_1 & R_2 provide potential divider arrangement.



* The R_E resistor provides stabilization.
 * C_E is the bypass capacitor & R_E to prevent AC voltage

* The transformer is used to step-down transformer
 * The transformer used in the collector is for impedance matching.

* R_L is connected to the secondary of the transformer
 operation:-

* If the peak value of the collector current due to signal is equal to zero, signal collector current than the max. AC power o/p is obtained. So in order to achieve the complete amplification

* The operating point should lie at the center of the load line.

* The collector voltage varies the signal is applied.

* The collector voltage varies in opposite to the collector current.

* The variation of collector voltage appears across the primary of the transformer.

* The eff. is nearly 50%
 $V_{C(rms)} = \frac{V_{C(p)}}{2\sqrt{2}}$

$P_{i(p)} = V_{CC} I_C$ Power dissipation $P_d = P_{ac} = V_{CC} I_{CQ}$

$P_{o(p)} = \frac{V_{CC} I_C}{2}$ $\eta = \frac{P_{o(p)}}{P_{i(p)}} \times 100$

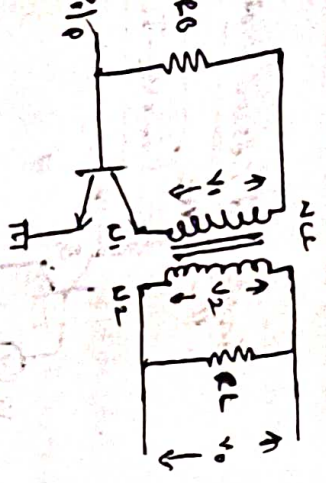
$I_{C(rms)} = \frac{I_{C(p)}}{\sqrt{2}}$ Slope of the load line ideally is.

Why this - 91.4

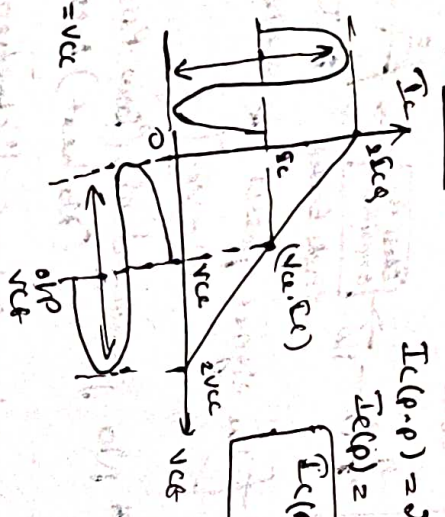
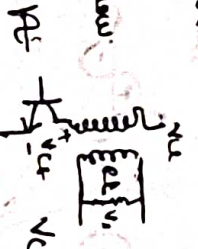
Transformer Coupled Class A amplifier

Note: V_{OC} power dissipation ↓ efficiency ↑

low \rightarrow 5W
 o/p \rightarrow 10W



flow & increase
 $V_{CE} \rightarrow I_C$ flows
 o/c $V_{CE} \rightarrow I_{C \times R_L}$



load line

$$I_C(p-p) = 2I_C - 0 \quad \left[\frac{V_{CE}}{2} \right]$$

$$I_C(p-p) = I_C \quad \left[\frac{V_{CE}}{2} \right]$$

$$I_C(rms) = \frac{I_C(p-p)}{\sqrt{2}}$$

$$V_{CE}(p-p) = 2V_{CE}$$

$$V_{CE}(p-p) = V_{CE} \left[\frac{2V_{CE}}{2} \right]$$

$$V_{CE}(rms) = \frac{V_{CE}(p-p)}{2\sqrt{2}}$$

Base at Q/P

$$\frac{V_1}{V_2} = \frac{N_1}{N_2}, \quad \frac{I_1}{I_2} = \frac{N_2}{N_1}$$

$$\frac{V_2}{I_2} = R_L \cdot \frac{V_1}{I_1} = R_{eq} = \frac{V_1 \times N_1^2}{I_2 \times N_2^2}$$

$$= \frac{V_2}{I_2} \times \left(\frac{N_1}{N_2} \right)^2$$

$$R_{(primary)} = R_L \left(\frac{N_1}{N_2} \right)^2$$

$$P_{oip} \approx V_{rms} \times I_{rms}$$

$$P_{oip} = \frac{V_{CE} \times I_C}{2}$$

$$P_{oip} \times 100 = \frac{P_{oip}}{P_{ip}(oc)}$$

$$= \frac{V_{CE} \times I_C}{2 \times V_{CE} \times I_C}$$

$$= \frac{1}{2} \times 100$$

$$\left[\eta = 50\% \right]$$

$$P_{ip} = V_{CE} \times I_C$$

$$P_{ip} = V_{CE} \times I_C$$

in t/f coupled class-A load are almost same as speakers.

Problems on class-A

16 A T/F Coupled class-A amplifier

Supplies 3 watt power to 8 speaker
 Supply voltage is 30V & I_{CQ} is 30mA. Then find η of this amplifier

$$P_{oc} = 3W$$

$$\eta = \frac{P_{oip}(oc)}{P_{ip}(oc)}$$

2 speaker - load
 $P_{oip} = 3W$

$$P_{in} = V_{CE} \times I_C$$

$$= 30 \times 300$$

$$= 6000 mW$$

$$P_{in} = 6000 mW$$

$$\eta = \frac{P_{oip}}{P_{ip}} = \frac{3}{6000} = 0.5$$

$$\left[\eta = 50\% \right]$$

If IC series fed direct coupled

class-A amplifier supplies 200mW power to speaker if supply voltage is 30V & I_{CQ} is 200mA. Then find the η of this amplifier.

$$P_{oip} = 0.8W$$

$$V_{CE} = 30V$$

$$I_{CQ} = 200mA$$



Advantages of T/F class A amplifier

- * No loss of signal power in the base or collector resistor
 - * Excellent impedance matching is achieved.
 - * Gain is high.
 - * DC feedback is provided.
- Disadvantages
- * Low frequency signals are less amplified comparatively
 - * Hum noise is introduced by transformer
 - * Transformer are bulky & costly
 - * Poor frequency response



$$P_{in} = V_{CC} \times I_{CQ}$$

$$= 30 \times 200$$

$$= 6000 \text{ mW} / 10^3$$

$$P_{in} = 6 \text{ W}$$

$$P_{o/p} = 0.8 \text{ W}$$

Note: In T/F Coupled amplifier
o/p is high because efficiency is 50% high
in series Res load is 25% low

$$\eta = \frac{P_{o/p(ac)}}{P_{in(DC)}} = \frac{0.8 \times 100}{6}$$

$$= 0.13 \times 100$$

$$\eta = 13\%$$

Single stage Class A Amplifier has
AC o/p current varies

$$V_{CC} = 20 \text{ V}$$

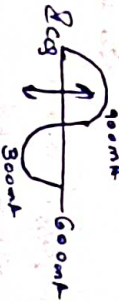
$$V_{CEQ} = 10 \text{ V}$$

$$I_{CQ} = 60 \text{ mA}$$

$$R_C = 16 \Omega$$

John

by 300mA
And its power supplied by DC source to amplifier.
efficiency of amplifier



$$P_{D-P} = 900 - 300$$

$$= 600 \text{ mW}$$

$$P_{Peak} = 300 \text{ mW}$$

$$\eta = \frac{P_{o/p(ac)}}{P_{in(DC)}}$$

$$P_{o/p} = V_{CE(rms)} \times I_{C(rms)}$$

$$I_{C(rms)} = \frac{300 \text{ mA}}{\sqrt{2}}$$

$$P_{o/p} = I_{C(rms)}^2 \times R_L$$

$$P_{o/p} = \left(\frac{300}{\sqrt{2}}\right)^2 \times 10^{-6} \times 16$$

$$= 90000 \times 10^{-6} \times 16$$

$$P_{o/p} = 0.72 \text{ W}$$

$$P_{in} = V_{CC} \times I_{CQ}$$

$$= 20 \times 600$$

$$= 12000 \text{ mW}$$

$$P_{in} = 12 \text{ W}$$

$$\eta = \frac{0.72}{12} \times 100$$

$$\eta = 6\%$$

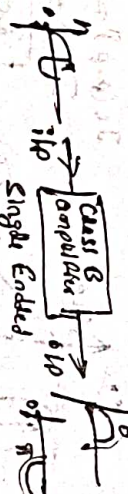
Class - B

* Q point is in cut-off region

* No Biasing is used. [i/p power need]

* η is very high (78.5%)

* Conduction angle is 180°



The signal passes o/p in true or -ve

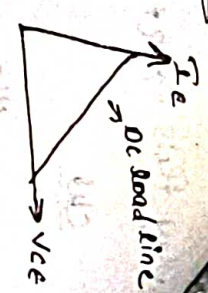
No power drain (low loss) (no heat) loss

* η has lot of distortion

* Distortion of o/p = 50%

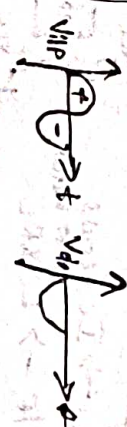
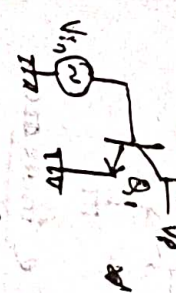
* In o/p only one signal

* is come that's for only 50% signal is come



Single End Class B Amplifier

$$V_o = V_{CC} - I_C R_C$$



Case I

Positive cycle

$Q_1 \rightarrow T_E$ T_C active region

$Q_2 \rightarrow T_E$ T_C active region

negative cycle

$Q_1 \rightarrow T_E$ T_C cutoff region

$Q_2 \rightarrow T_E$ T_C cutoff region

$$V_o = V_{CC} - I_C R_C$$

advantages of class B

> Impedance with load is possible

> Second harmonic of automatically cancelled out

> ~~Zero power dissipation~~

> High eff-1. Compared with class A amplifier,

Disadvantages

> Crossover distortion is present in the o/p waveform

> The transistor biased at cut off region the wave form is distorted near zero crossings

* when the signal is the biasing of the transistor in class B operation is in such a way that at zero signal condition.

* There will be no collector current.

* The operating point is to be at cut-off voltage

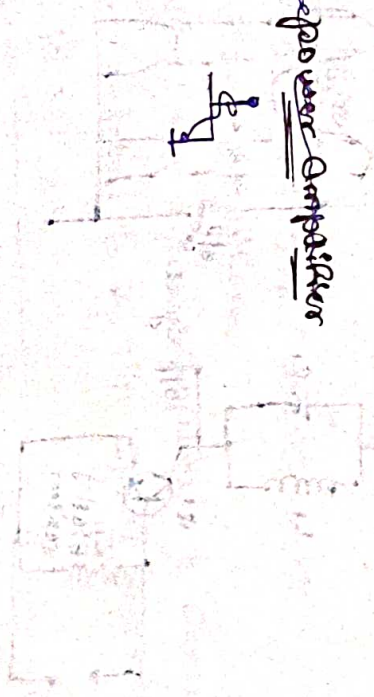
* So when the signal is applied only positive half cycle is amplified at the o/p.

* But during negative half cycle of the i/p, the c/c is reverse biased & the collector current will be absent.

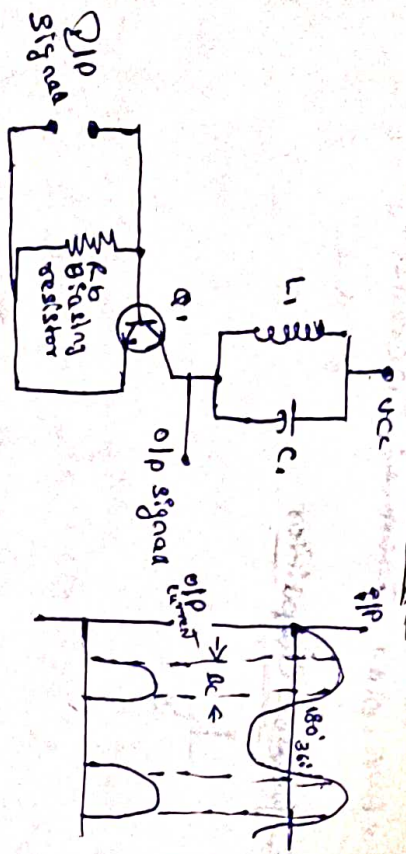
* Hence ~~only the positive half~~ when the applied signal increase, the power dissipation will be more.

* But when compared to class A power amplifier, the o/p eff. will increase. (5)

Class C power amplifier



Class C Power Amplifier:-

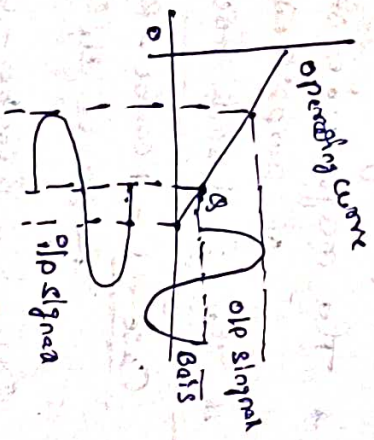
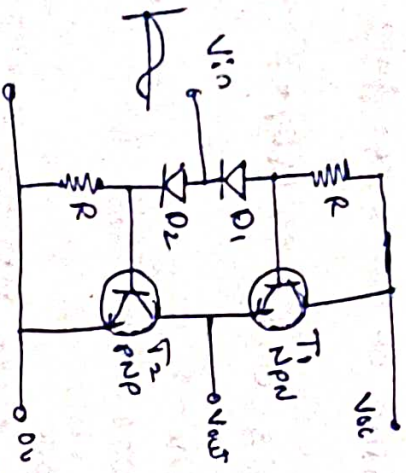


- * The Fig shows the class C power amplifier
- * When the collector current flows for less than half cycle of the i/p signal, the power amplifier is known as class C power amplifier.
- * The eff. class C amplifier is high, while linearity is poor.
- * The conduction angle is less than 180° . It is generally 90° .
- * Using class C amplifier, the pulses produced at its o/p can be converted to complete sine wave of a particular frequency by using LC ckt. in the collector ckt.
- * The gain of these amplifiers is not very according to the frequency of the signal.
- * over a wide range-

- * When o/p signal is applied, the tuned ckt resonating at the frequency is extracted by the tuned load at the o/p.
 - * Harmonic can be eliminated by adding filters.
 - * The biasing resistance pulls the 'q' point below cut-off region. i.e. the eff. is around 80% .
- ### Advantages
- * Less physical size
 - * Used in RF application
 - * High efficiency (higher than 95%)
 - * Low power loss in power transistor
- ### Disadvantages
- * creates lot of RF interference
 - * Selection of ideal inductors is problem
 - * Not suitable in audio applications.

Class AB power amplifier

- Class AB is a combination of class A & class B type of amplifiers.
- As class A has the low efficiency.
- As class B has the lot distortion.
- By utilizing the advantages of both the class in class AB amplifier.



- But the cross over distortion is because when both the transistors are off at the same instant ^{that} during the transition period.
- So we use class AB configuration.
- The conduction angle of class AB amplifier is less than 180° to 360° depending upon the operating point.
- The small voltage is given using D1 & D2. It helps the operating point to be in above cut-off point.

- Hence the o/p wave form is shown in fig.
- As class A & class B in terms of efficiency. So to 60%.
- So class A & B & AB amplifier called as linear amplifiers.
- Because the o/p signal amplitude & phase are linearly related to the i/p signal amplitude & phase.

Types of Distortion

1. Linear distortion (Harmonic Distortion)

Due to the non-linearity of transistor, the o/p is different from the i/p. It is known as $A_0 + A_1 x + A_2 x^2 + \dots$

2. Frequency Distortion

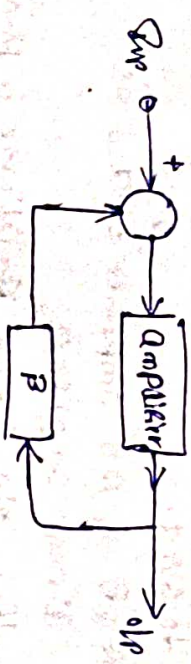
When different frequency components of the i/p signal are amplified differently frequency amplification takes place. This is may due to the internal capacitance effect of the transistor.

3. Delay or phase shift distortion

If the phase shift introduced by amplifier is not proportional to the frequency then phase distortion takes place.

The modified equation is

The basic structure of a sinusoidal oscillator



* An oscillator is a CK which basically acts as generator.

↳ The o/p signal which oscillates with constant amplitude & constant desired frequency

* The property of f.B which allows to f.B the part or the o/p. to the same CK/1/p.

* As the phase of the feedback to the ~~o/p~~ ~~with the help of a f.B network~~. Signal is same as that of the i/p applied. The f.B is covered +ve f.B.

* The closed loop gain by the f.B.

$$A_{fz} = \frac{A}{1 - AB}$$

$$\text{for -ve f.B } A_{fz} = \frac{A}{1 + AB}$$

Advantages:-

- * Higher i/p impedance
- * Stable voltage gain
- * Improves frequency response
- * Linear operation
- * Lower o/p impedance reduce noise

Barkhausen criteria

$$AB = 1 \quad AF = \infty \quad \text{for oscillation} \quad AB > 1$$

* It state that the total phase shift around a loop as the signal proceeds from o/p to i/p

through the amplifier

* F.B network back to the i/p gain.

* Computing a loop, is precisely 0° or 360°

* The magnitude of the product of the open gain of amplifier

* The feedback factor $|B|$ is unity. i.e. $|AB| = 1$

Case - 1 - RC network

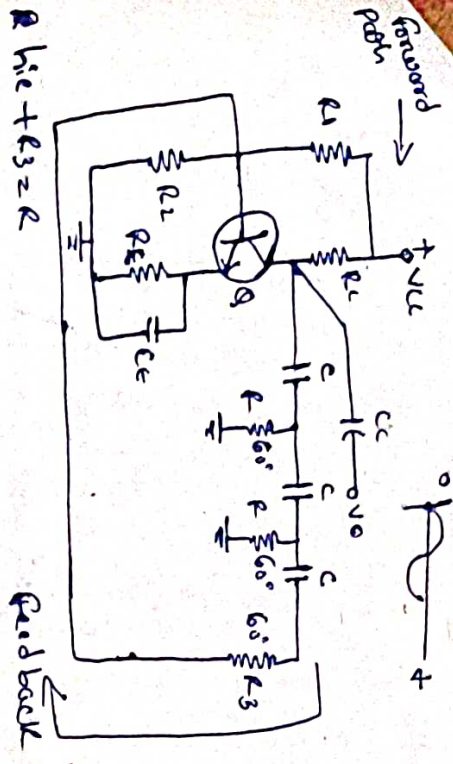
RC phase shift oscillator - low frequency oscillation

Case - 2 - LC network

Colpitts & Hartley - radio. Frequency 100kHz

Case - 3 - RC comb - critical. - Mega Hz

RC phase shift oscillator



- * RC phase shift oscillator basically consists of an amplifier & a feed back network
- * It consists of resistor & capacitors arranged in ladder fashion.
- * RC network is used feed back path in osc
- * The network must introduce a 180° phase shift
- * to obtain total 360° phase shift around loop
- * In each RC network produce 60° of phase shift. & there are 3 RC network produce 180° phase shift due to feedback is 180°
- * A transistor is used as an active device element of the amplifier
- * RC phase shift osc would use a common emitter
- * Single stage amplifier
- * The network consist 3 identical RC sections

* The o/p of F.B network gets loaded due to low impedance of a transistor. (1)

* Amplifier stage can be used to avoid the problem of low o/p impedance

* But if only single stage can be used, then the voltage must feedback. (R3) is used to connected in series with the amplifier i/p resistance

* while o/p of the F.B network is given as an i/p to the amplifier.

* Thus amplifier supplies its own i/p through the feedback network

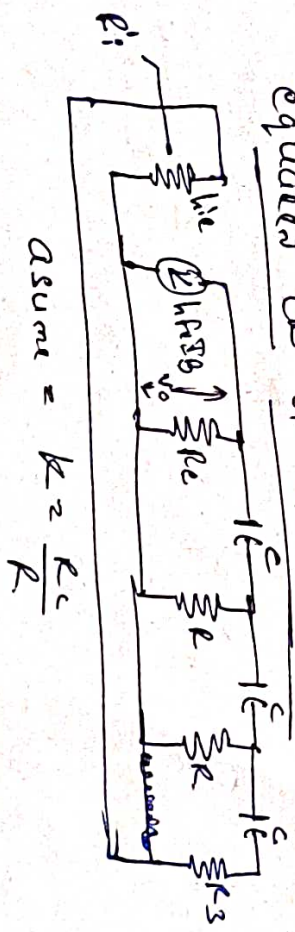
* $h_{ie} + R_3 = R$

* \therefore Thus all the 3 sections of the phase shifting network are identical

$$R_3' = R_1 || R_2 || h_{ie}$$

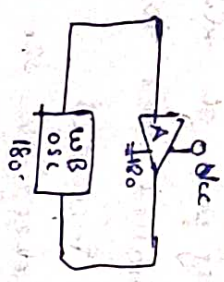
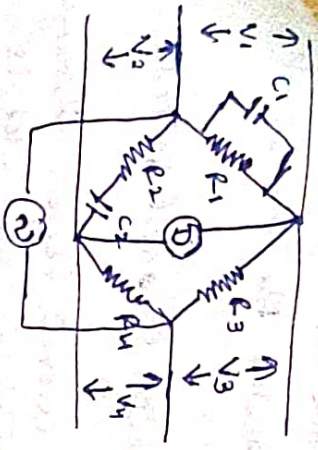
$$R_1' + R_3 = R$$

equivalent circuit of the oscillator



assume $k = \frac{R_c}{R}$

Wien Bridge Oscillator



- * The Wien Bridge osc. is so called because the Ckt is based on Frequency-selective form of the wheatstone bridge kkt.
- * With no i/p signal the Wien bridge osc. produces o/p oscillations.
- * The Wien bridge oscillator can produce a large range of frequencies.
- * The voltage gain of the amplifier must be at least 3.
- * The Network can be used with a Non Inverting amplifier.
- * The o/p resistance of the amplifier must be high compared to (R_2) so that the (R_1) network is not overloaded & after the required condition.
- * The o/p resistance of the amplifier must be low so that the effect of external loading is minimized.

With amplitude stabilisation in the form of feedback diodes, oscillations from the oscillator can go on indefinitely. (3)

$$-jX_c = -\frac{j}{\omega C} = \frac{1}{j\omega C}$$

Balance bridge

$$Z_1 Z_4 = Z_2 Z_3$$

$$Z_1 = \frac{R_1}{1 + j\omega C_1 R_1}$$

$$Z_2 = R_2 - \frac{1}{j\omega C_2}$$

$$Z_3 = R_3 \quad Z_4 = R_4$$

Equating the real terms

$$\frac{R_4}{R_1} = \frac{C_1}{C_2} + \frac{R_2}{R_1} \quad \text{--- (1)}$$

Equating the imaginary parts

$$\frac{1}{j\omega C_1 R_1} + j\omega C_1 R_2 = 0$$

$$-j\omega C_1 R_1 + j\omega C_1 R_2 = 0$$

$$\omega = \frac{1}{\sqrt{R_1 R_2 C_1 C_2}}$$

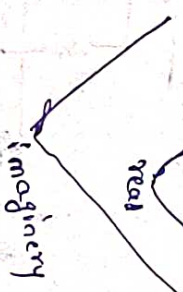
$$\omega = 2\pi f$$

For balance bridge

$$Z_1 Z_4 = Z_2 Z_3$$

$$\left(\frac{R_1}{1 + j\omega C_1 R_1}\right)(R_4) = \left(R_2 - \frac{1}{j\omega C_2}\right)(R_3)$$

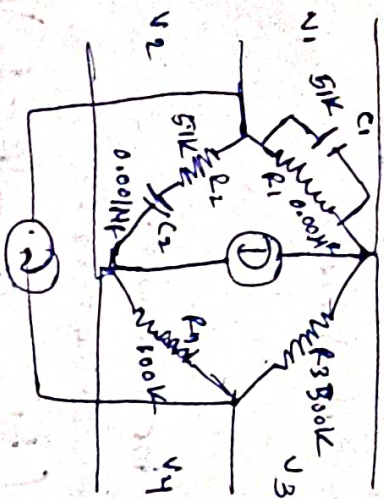
$$R_4 = \frac{1}{j\omega C_1 R_1} + \frac{R_2}{C_2} + \frac{R_2}{R_1} j\omega C_2 R_3$$



Frequency of osc

$$f = \frac{1}{2\pi \sqrt{R_1 R_2 C_1 C_2}}$$

Calculation the frequency of $0.001 \mu F$

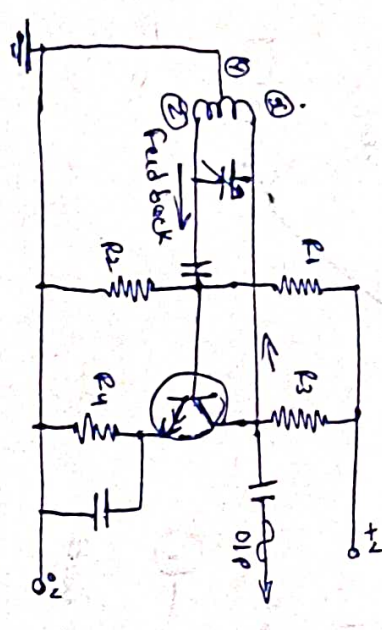


$$= 3.1207 \times 10^3$$

$$= \sqrt{f = 3120.7 \text{ Hz}}$$

$$f = \frac{1}{2\pi \sqrt{L_1 L_2 C_1 C_2}} = \frac{1}{2\pi \sqrt{0.001 \times 5 \times 5 \times 0.001}}$$

Hartley Oscillator:-



As shown the Hartley osc.

when the ckt is oscillating the $V_{(x)}$ collector, relative to $V_{(emitter)}$ is 180° .

out of phase with voltage 2 point relative to V

Feedback loop provides the collector phase relationship of +ve feedback to maintained oscillation

The amount of f.B depends upon the tapping point at the induction

if it is moved near to collector the amount of feedback increased.

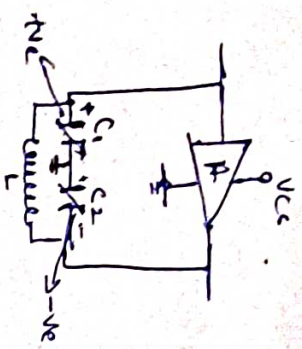
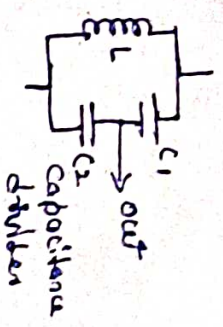
but o/p taken b/w the collector to earth is reduced & vice versa

As the ckt the o/c collector current flows through part of the coil & for this reason the ckt is said to be series-fed.

$$f = \frac{1}{2\pi \sqrt{L_T C}}$$

where $L_T = L_1 + L_2 + 2M$

Capacitive Oscillators



* The capacitive oscillator design uses two centre-tapped capacitors in series with a parallel inductor to form its resonance tank circuit provide producing sinusoidal oscillation.

* So many way the capacitive is opposite of the Hartley oscillator.

Hartley oscillator.

* The basic configuration of the capacitive osc. resembles that of the Hartley osc. but the difference this time is that the center tapping of tank sub-circuit is made at the junction of a

"capacitive voltage divider"

* The amount of the feedback is determine the C_1 & C_2 these two capacitors. are generally

"ganged" they provides constant amount of FB

$$f_r = \frac{1}{2\pi\sqrt{LC_T}}$$

$$C_T = \text{Capacitance total}$$

$$\therefore \frac{1}{C_T} = \frac{1}{C_1} + \frac{1}{C_2} \quad \text{or} \quad C_T = \frac{C_1 \times C_2}{C_1 + C_2}$$

ex: -

$$C_1 = 240\text{pF}$$

$$C_2 = 240\text{pF}$$

$$L = 10\text{mH} = 0.01\text{H}$$

$$f_r = ?$$

$$C_T = ?$$



$$f_r = \frac{1}{2\pi\sqrt{LC_T}}$$

$$C_T = \frac{240\text{pF} \times 240\text{pF}}{240\text{pF} + 240\text{pF}} = 21.82\text{pF}$$

$$f_r = \frac{1}{2\pi\sqrt{0.01 \times 21.82 \times 10^{-9}}} = 10.8\text{kHz}$$